



# Water management options for the Middle Drâa River Basin

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# Overview

1. Cropping under erratic water supply  
- the study area
2. The MIVAD hydro-economic model
3. Scenarios of source-dependent water pricing
4. Conclusions and outlook

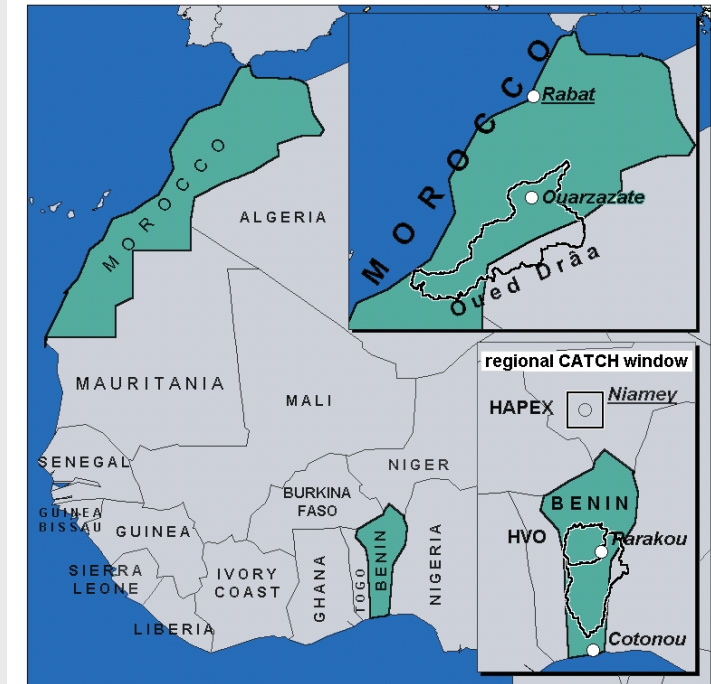
# The **IMPETUS** project

**I**ntegratives **M**anagement-**P**rojekt fuer einen **E**ffizienten und **T**ragfaehigen **U**mgang mit **S**uesswasser in West Afrika

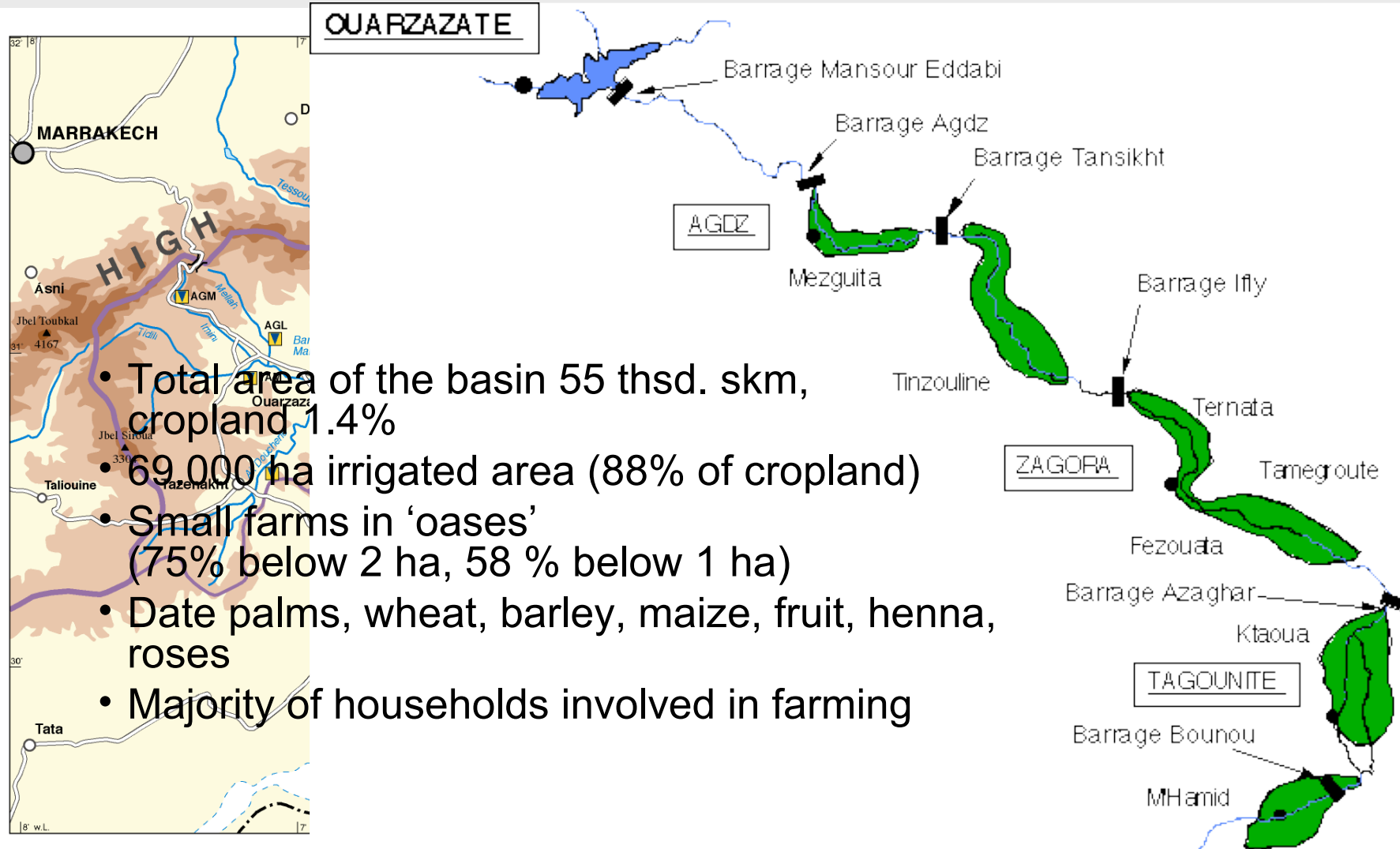
- integrated approach to the efficient management of scarce water resources in West Africa
- investigations of various aspects of the hydrological cycle within two river catchments: wadi Drâa (Morocco) and river Ouémé (Benin)
- financed by German Research Ministry (BMBF)

## Goals

- understanding the hydrological cycle under different aspects
- modeling of different case scenarios
- set up of a management plan for a sustainable use of fresh water



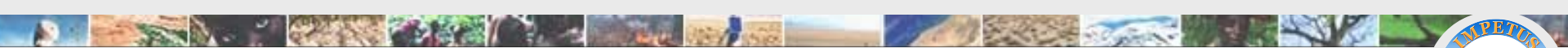
# The Drâa Valley





# Some facts about the Drâa valley

- Total population 1.16 Mio, 2.3 percent growth rate
- Majority of households involved in farming
- Tourism, light industry, mining, film industry, handicrafts
- Overwhelmingly important: remittances from labour migrants
- Total area of the basin 55 thsd. skm, cropland 1.4%
- 69.000 ha irrigated area (88% of cropland)
- Small farms in 'oases' (75% below 2 ha, 58 % below 1 ha)
- Date palms, wheat, barley, maize, fruit, henna, roses



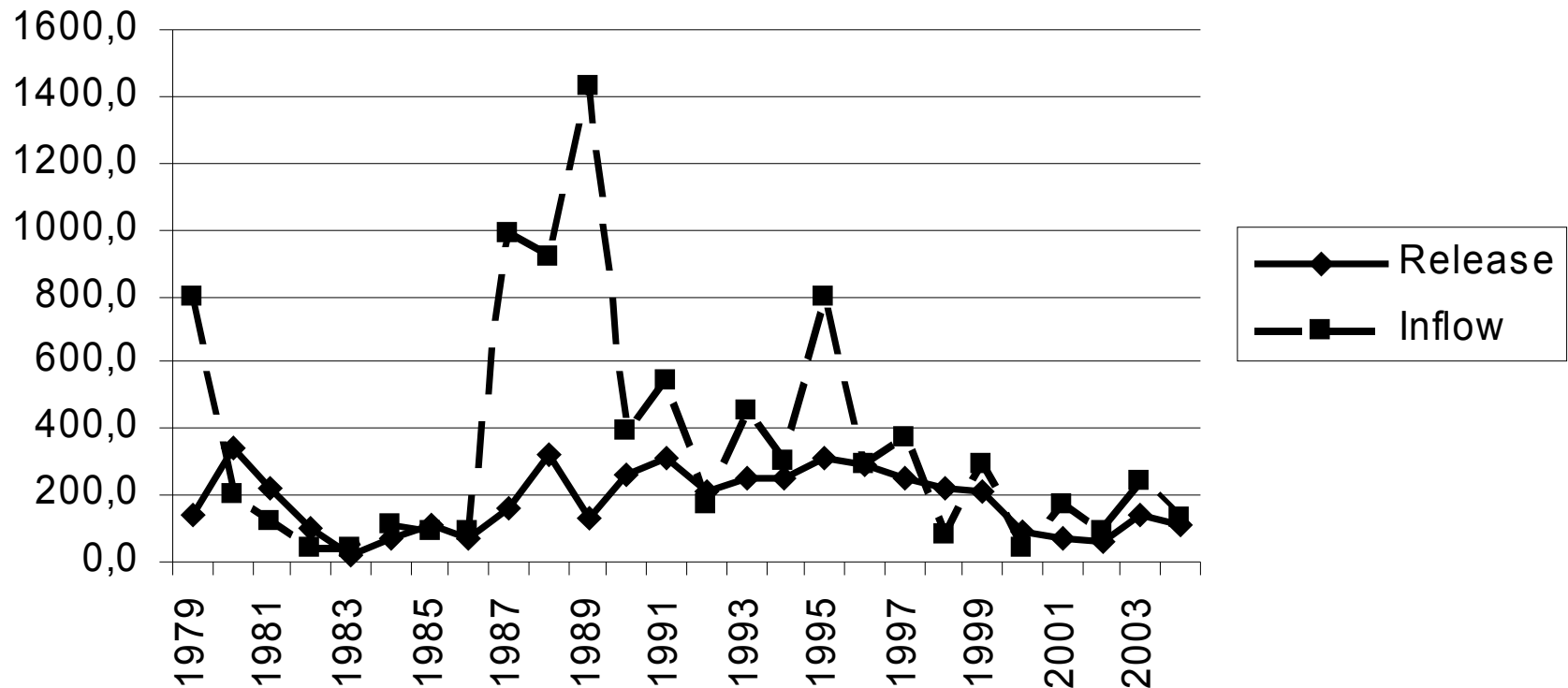
# Water-related problems

- Highly volatile availability of surface water, declining trend
- More use of groundwater for irrigation
- Increasing problems with salinity
- Competition from non-agricultural users (minor problem!)





# Water balance of the Mansour Eddhabi reservoir



- Serial correlation of wet and dry years?
- Droughts of up to a decade well likely ...



## Gross water storage capacity in the Drâa valley

	1972	2000	2020
Total reserves in mio cbm	918	797	725
Reservoir	61%	55%	51%
Aquifers	39%	45%	49%

- Siltation of the reservoir, high evaporation losses
- Increasing role for groundwater as buffer
- Needs for irrigation: 320 Mio cbm in a normal year





# Research tasks

- Consider conjunctive use of water resources within numerical simulation models
- Develop long-term scenarios on the basin scale
- Simulate water management options, among them water pricing
- Goals of water management:
  - Stabilisation of farm incomes
  - Preservation of groundwater resources

# The case for managing irrigation water

- More efficient allocation of water among user groups, locations, and time periods
  - Reduce wasteful use of water in the face of increasing scarcity
  - Ease scarcity for non-agricultural users
  - Induce technical innovations
- Reduce negative external effects of misallocation
  - e.g. better water quality
  - Sustaining streamflows (by saving surface water)
  - Preserving landscapes (by saving groundwater)



# Management options for irrigation water

- Water pricing
  - volumetric
  - area-based
- Water rights or quotas (non-tradable)
- Water markets (tradable use rights)



# Water management in Morocco and the Drâa region

- Pricing of surface water in most irrigation perimeters
- Price levels mostly below cost recovery levels
- No pricing of groundwater use
- In the Drâa region, no water pricing at all
- Local distribution of surface water according to historical farming areas

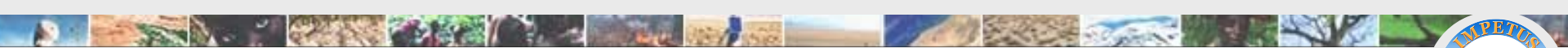


# MIVAD

## Hydro-economic river basin model

Modèle intégré de la vallée du Drâa (**MIVAD**)

- Structured as nonlinear optimization problem
- Goal: maximization of agricultural income in the six oases
- Constraints involve yield formation, land availability, and hydrological balances
- 'Node network' for spatial representation
- Planning model with fixed market prices and costs
- Extensive dual network of shadow prices



# MIVAD

## Hydro-economic river basin model

Modèle intégré de la vallée du Drâa (**MIVAD**)

- Eight crops (dates, wheat, barley, corn, alfalfa, henna, beans, vegetables)
- Endogenous yield formation (water application per hectare, non-linear)
- Calibration of crop areas through Positive Mathematical Programming (PMP)
- Simulation period: one year in monthly steps
- Recursive-dynamic over a series of years
- Carry-over of reservoir and groundwater fill levels between simulation years

# MIVAD

## Hydro-economic river basin model

### Modèle intégré de la vallée du Drâa (**MIVAD**)

- Nonlinear optimization problem (max. revenues from farming in the basin)
- Planning model with fixed market prices and costs
- Eight crops (dates, wheat, barley, corn, alfalfa, henna, beans, vegetables)
- Endogenous yield formation (water application per hectare, non-linear)
- Simulation period: one year in monthly steps (fully dynamic)
- Recursive-dynamic over a series of years
- Carry-over of reservoir and groundwater fill levels to the next simulation year

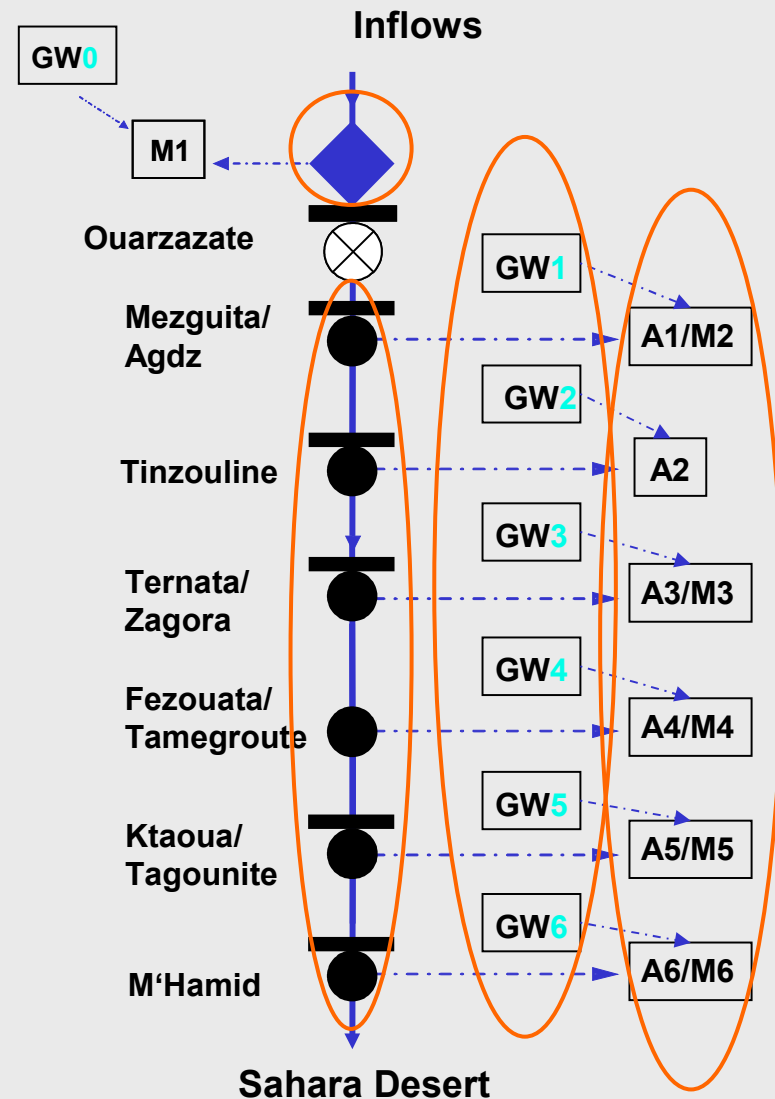


# Study area => spatial structure

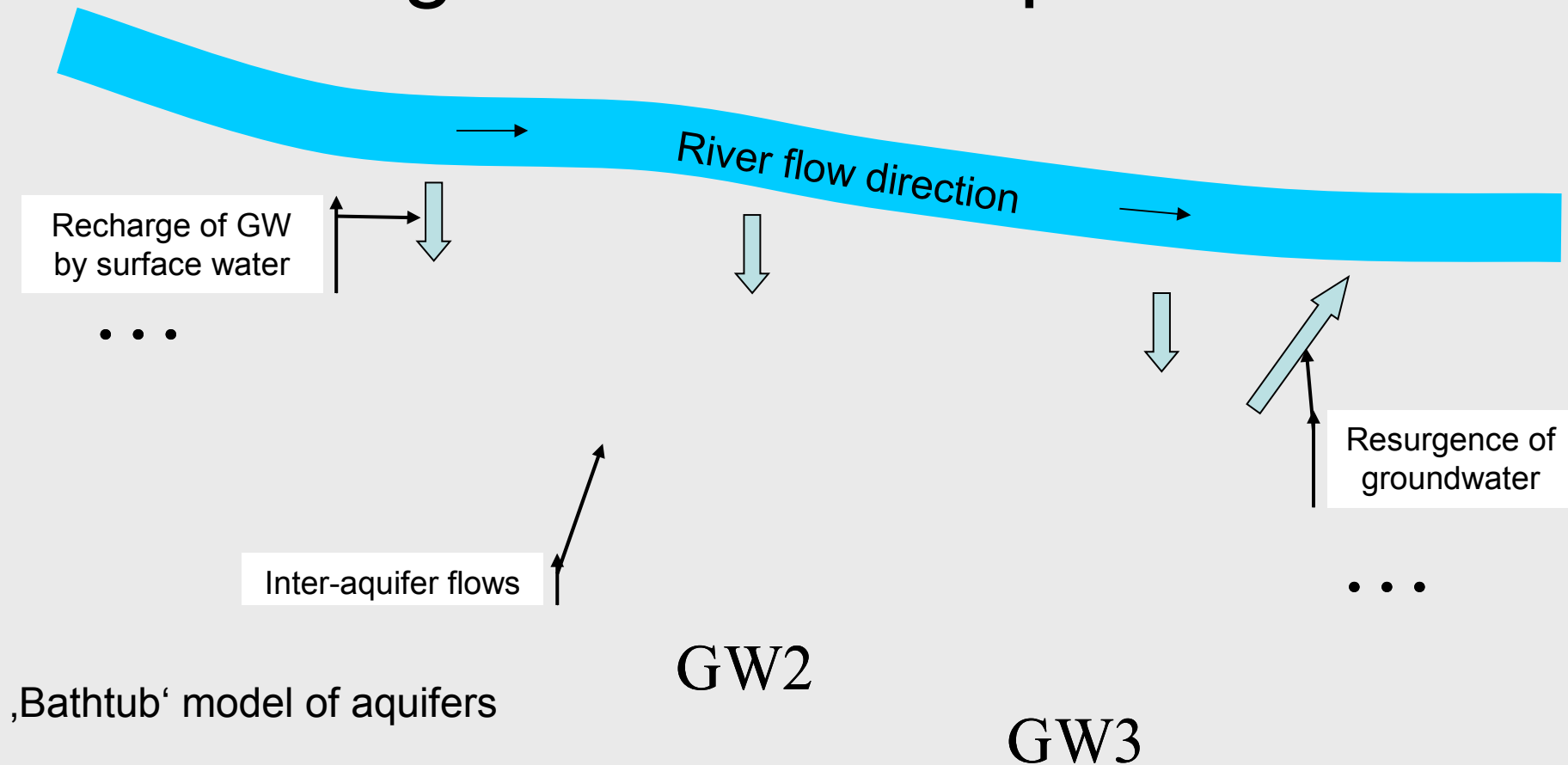


# Node network

- Surface water is centrally distributed from the reservoir along the river
- Each demand site has an underlying aquifer
- Groundwater is withdrawn from the local aquifers



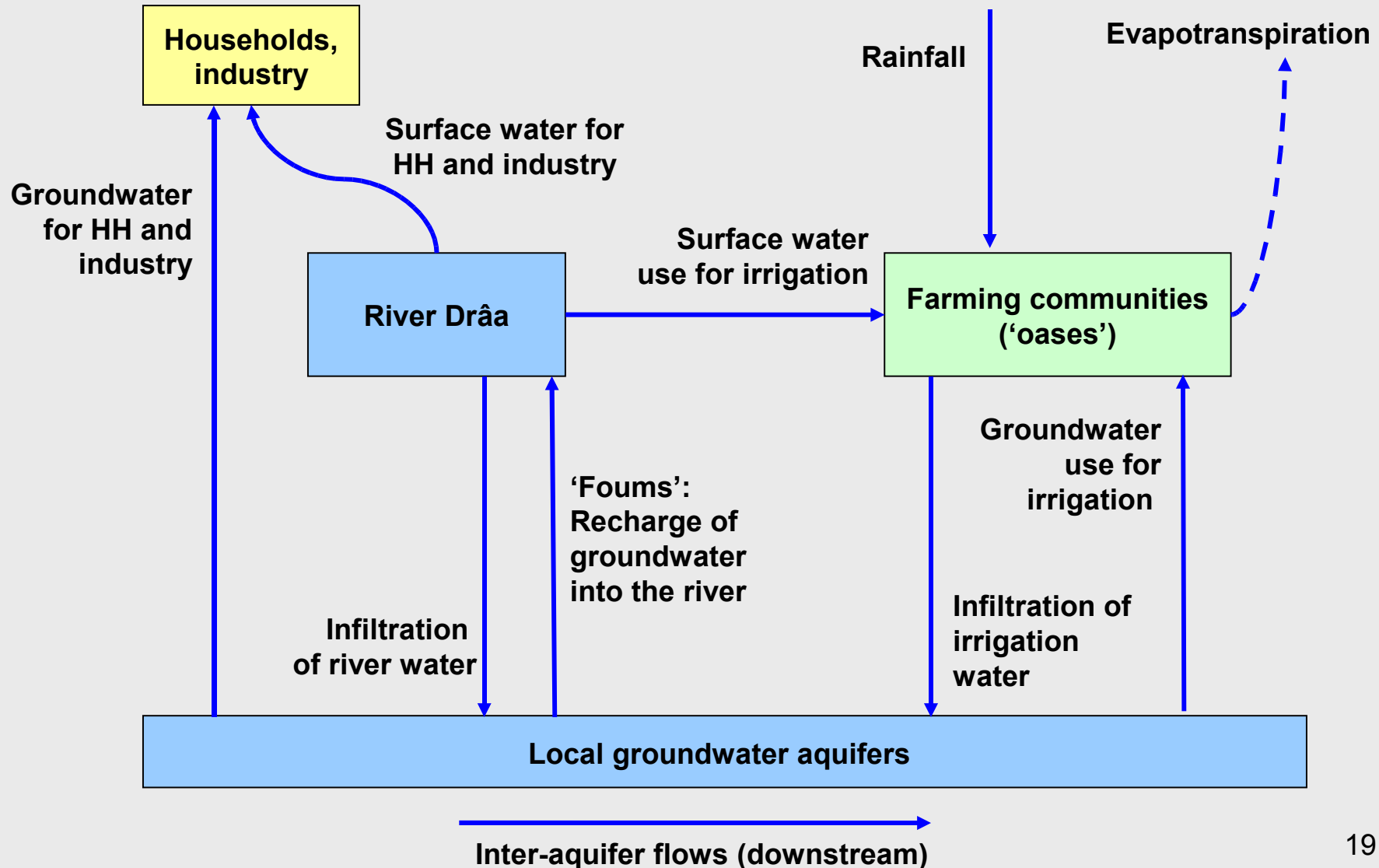
# Natural interaction between river and groundwater aquifers



„Bathtub“ model of aquifers

Shallow aquifers are mainly fed by the river!

# Conjunctive use of water resources



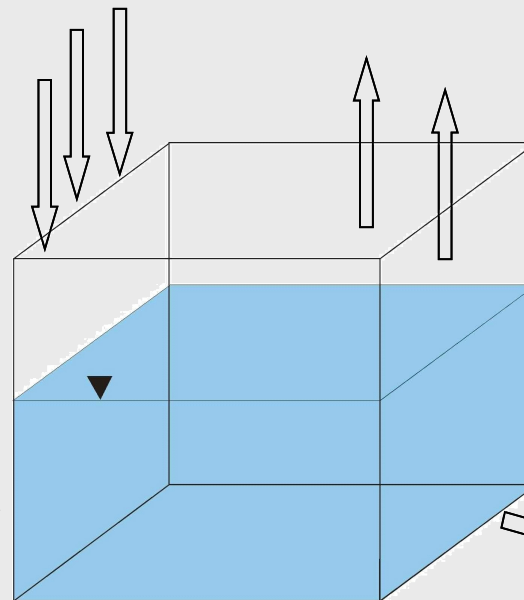
# Groundwater Balance

+ Infiltration of river water  
=> Needs to be further determined

+ Infiltration of irrigation water  
=> 40% of applied irrigation water on field

+ Recharge from rain  
=>  $Precipitation * Infiltration\ coefficient * Catchment\ surface\ of\ the\ aquifer$

+ Groundwater flow from upstream  
=> according to the Darcy Formula:  
Hydraulic conductivity  
\* Hydraulic gradient from upstream aquifer  
\* flow section



— Pumping for municipal water uses  
=>  $f$  (consumer utility)

— Pumping for agricultural water uses  
=>  $f$  (marginal crop yields, availability of surface water, etc.)

— Base flow "Spill over"  
=> pos. if  $VGW - GW\ MAX$ , non- negative

Groundwater flow to downstream oasis  
=> according to the Darcy Formula:  
Hydraulic conductivity  
\* Hydraulic gradient to downstream aquifer  
\* flow section

# Other hydrological balances

- **Reservoir balance**

(reservoir fill rate \* evaporation losses)<sub>t-1</sub> + inflows<sub>t</sub>

=

reservoir fill rate<sub>t</sub> + withdrawals

- **River node balance**

inflows (from upstream river nodes, reservoirs, lateral inflows)

=

withdrawals, infiltration into the aquifer, outflow to the next river node

# MIVAD's optimisation problem

- Use resources such that the sum of agricultural gross margins across farming communities is maximised

$$\max_{\substack{\text{crop area,} \\ \text{water use}}} \sum_{oases} \sum_{crops} GM_{oasis, crop}$$

by taking into account constraints resulting from:

- agronomy (yield formation due to water application)
- hydrology (hydrologic balances for reservoirs, river nodes, aquifers, and fields)
- exogenous increase of non-agricultural water needs

Encoded in GAMS, NLP-Problem, Solver Conopt3



# Derivation of decision variables

FOC for crop area  $A_i$

$$\overbrace{MC_i^L \left( \left( \sum_t \lambda_t^A \cdot W_{i,t}^A \right), \lambda^L, A_i \right)}^{\text{Marginal costs}} \geq \overbrace{MR_i^L \left( \bar{P}_i \cdot Y_i, \bar{AC}_i, A_i \right)}^{\text{Marginal revenues}} \quad \perp \quad A_i \geq 0$$

$A_i$  = crop area

$W^A$  = application of irrigation water per hectare

$\lambda^A$  = shadow price of water for crop irrigation

$\lambda^L$  = shadow price of cropland

$P_i, Y_i, AC_i$  = crop prices, yields, and accounting costs, respectively

# Decision variables

FOC for water application per ha

(=> crop evapotranspiration  $ETA_i$  => crop yields)

$$MC_i^{irrig} \left( ETA_i^{seas}, \overline{ETM_{i,t}^{stage}}, \lambda_t^G, \lambda_t^A \right) \\ \geq MR_i^{irrig} \left( ETA_i^{seas}, \overline{ETM_{i,t}^{stage}}, \overline{Y_i^{max}}, \overline{ky_i^{seas}}, \overline{P_i} \right) \quad \perp \quad ETA_i^{seas} \geq 0$$

$ETM_i$  = yield-maximising monthly evapotranspiration

$\lambda^G$  = shadow price of groundwater in a local aquifer

$Y_{max_i}$  = maximum crop yield

$ky_i$  = seasonal crop water deficit coefficient

# Decision variables

## FOC for reservoir fill level $R$

$$\lambda_t^R \geq \lambda_{t+1}^R \cdot \overbrace{(1 - evap)}^{\text{Share of reservoir fill available in next period}} \perp R_t^R \geq 0$$

$evap$  = evaporation loss factor of the reservoir

$\lambda^R$  = shadow price for water in reservoir

- High evaporation losses in the reservoir, particularly in summer
- Losses provide a disincentive to store water for later periods

# Decision variables

FOC for releases from the reservoir  $F^R$

$$\lambda_t^R \geq \lambda_t^S \quad \perp \quad F_t^R \geq 0$$

$\lambda^S$  = shadow price of water in a river node  
(here: adjacent node to the reservoir)

# Decision variables

First-order condition for water supply at river node  $F^S$

$$\begin{aligned}
 \lambda_{f,t}^S &\geq \lambda_{f+1,t}^S \cdot \overbrace{\left(1 - \text{infil}_{f,f+1}^{SG}\right)}^{\text{Share of outflows available downstream}} + \lambda_{f+1,t}^G \cdot \overbrace{\text{infil}_{f,f+1}^{SG}}^{\text{Share of outflow infiltrating into downstream aquifer}} \\
 &\geq \lambda_{f+1,t}^S - \left(\lambda_{f+1,t}^S - \lambda_{f+1,t}^G\right) \cdot \text{infil}_{f,f+1}^{SG} \perp F_{f,f+1,t}^S \geq 0
 \end{aligned}$$

*infil* = infiltration of river water into the downstream aquifer

- Increasing river-aquifer infiltration will c. p. decrease the incentive of the central planner to deliver water to oases ...
- ... even more so when  $\lambda^G$  is low or zero, i.e. as long as the downstream groundwater aquifer will not be exhausted in any month within any year

# Decision variables

First-order condition for withdrawals at river node  $W^S$

$$\begin{aligned}
 & \lambda_{f,t}^S + \overbrace{c_f^S}^{\text{Costs / charges of surface water use}} + \overbrace{\frac{\lambda_f^{distr}}{\sum_t W_{f,t}^S} - \sum_f \left( \frac{\lambda_f^{distr} \cdot \sum_t W_{f,t}^S}{\sum_{f,t} W_{f,t}^{S^2}} \right)}^{\text{Opportunity costs of the distribution rules}} \\
 & \geq \underbrace{\lambda_{f,t}^A \cdot (1 - loss_f^{SG})}_{\text{Marginal value of irrigation water net of losses}} + \underbrace{\lambda_{f,t}^G \cdot loss_f^{SG}}_{\text{Value of infiltration into the groundwater}} \Leftrightarrow \geq \lambda_{f,t}^A - (\lambda_{f,t}^A - \lambda_{f,t}^G) \cdot loss_f^{SG} \quad \perp \quad W_{f,t}^S \geq 0
 \end{aligned}$$

$loss$  = infiltration of irrigation water into the local aquifer

# Decision variables

## First-order condition for aquifer fill levels $R^G$

$$\begin{aligned}
 & \overbrace{\lambda_{f,t}^G - \lambda_{f,t+1}^G}^{\text{Intertemporal difference of GW shadow prices in f}} - \overbrace{\lambda_{f,t}^G \cdot \text{darcy} \left[ R_{f,t}^G, R_{f+1,t}^G \right]}^{\text{Costs of groundwater outflow to the downstream aquifer}} + \overbrace{\lambda_{f+1,t}^G \cdot \text{darcy} \left[ R_{f,t}^G - R_{f+1,t}^G \uparrow \right]}^{\text{Value of groundwater outflow to the downstream aquifer}} \geq 0 \\
 & \Leftrightarrow \lambda_{f,t}^G + \left( \lambda_{f+1,t}^G - \lambda_{f,t}^G \right) \cdot \text{darcy} \geq \lambda_{f,t+1}^G \quad \perp \quad \overbrace{R_{f,t}^G}^{\text{Fill level of aquifer}} \geq 0
 \end{aligned}$$

*darcy* = hydrologic function governing inter-aquifer flows

- shadow prices of next period in the same aquifer
- shadow price in the adjacent river node (in the case of discharge into the river)
- shadow price in the downstream aquifer (due to inter-aquifer flows)

=> Under competition, increasing inter-aquifer-flows decrease socially optimal aquifer fill levels ... and reward more local pumping



# Internal decision rule for pumping of groundwater $W^G$

$$\underbrace{\underbrace{\lambda_{f,t}^G}_{\text{Groundwater's marginal value, opportunity costs of pumping 'here and now'}} + \underbrace{C_f^G}_{\text{Costs + charges of groundwater use}}}_{\text{Marginal costs of groundwater use}}$$

$\geq$

$$\underbrace{\lambda_{f,t}^A}_{\text{Irrigation water's marginal value, opportunity costs of use 'here and now'}} \perp W_{f,t}^G \geq 0$$

**Marginal revenue** of groundwater use



# Why use a programming/simulation model?

- Poor data availability
- Complex processes often yield counter-intuitive results
- No observations of pricing experiments possible
- In policy dialogue, magnitudes and figures matter a lot

# Scenarios of water pricing

General assumptions:

- Unfolding drought with a continuous reduction of surface water (-14% annually)
- Perfect knowledge of resource availability for the current year, no foresight for future years (somewhat stylised ...)
- Costs of pumping groundwater: 0.58 MAD/cbm
- Surface water distribution rules across oases

1. Base run

2. 'SWC'

=> Pricing only surface water at 1 MAD/cbm

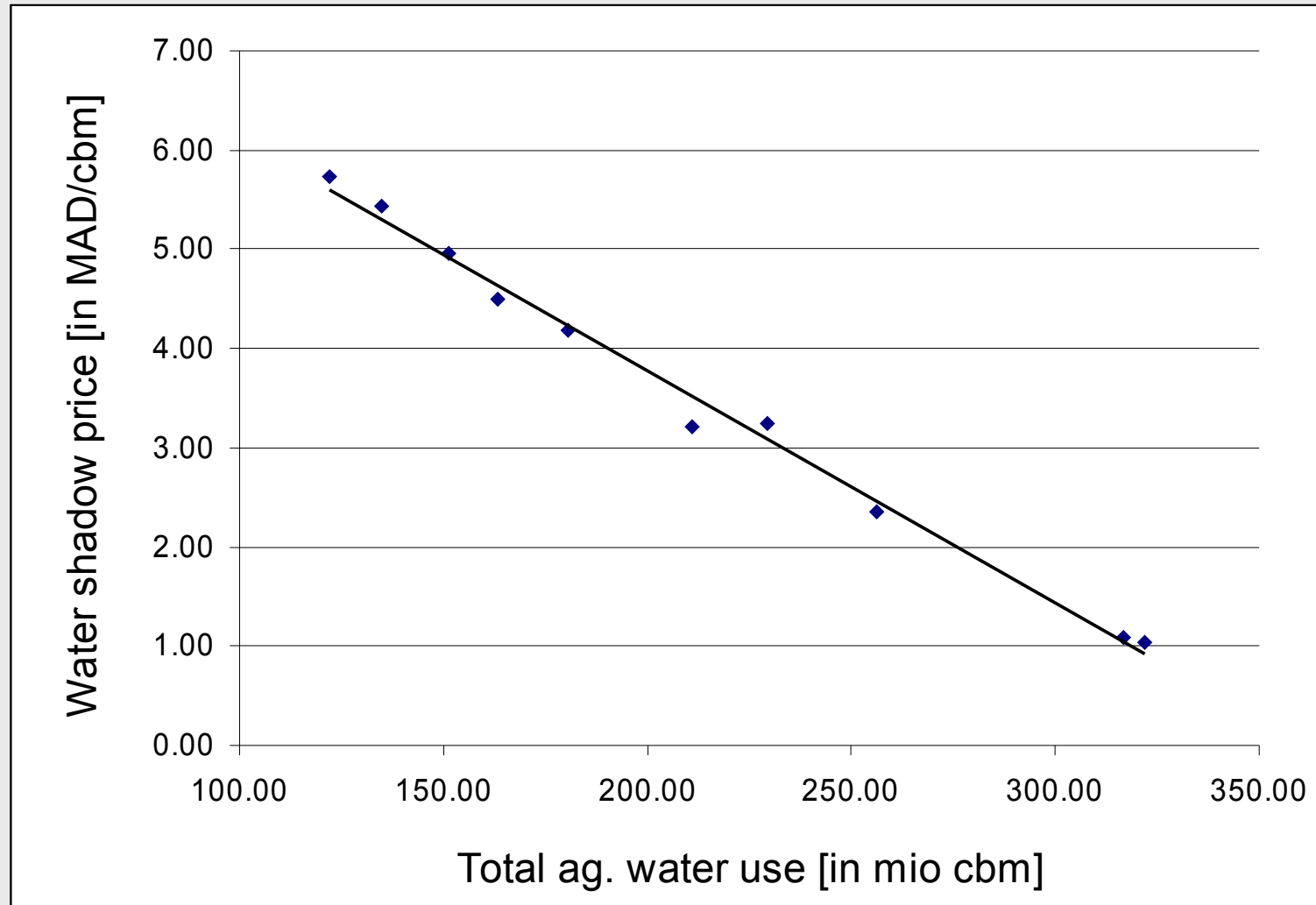
3. 'GWC'

=> Pricing only groundwater at 1 MAD/cbm (+ 0.58 pumping costs)

4. 'TWC'

=> Pricing both surface and groundwater at 1 MAD/cbm

# Base run: derived demand for water



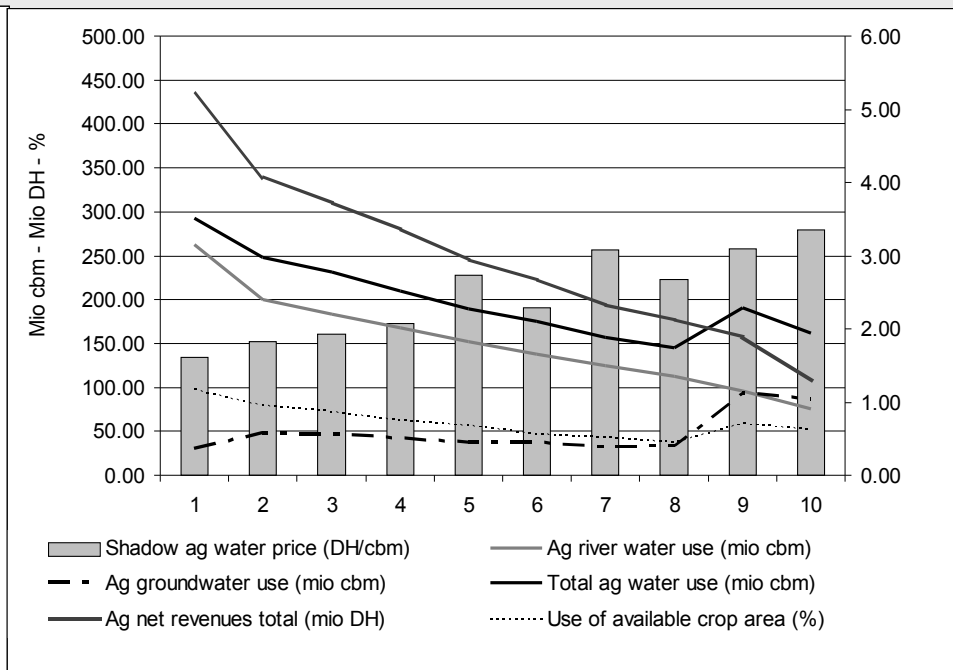
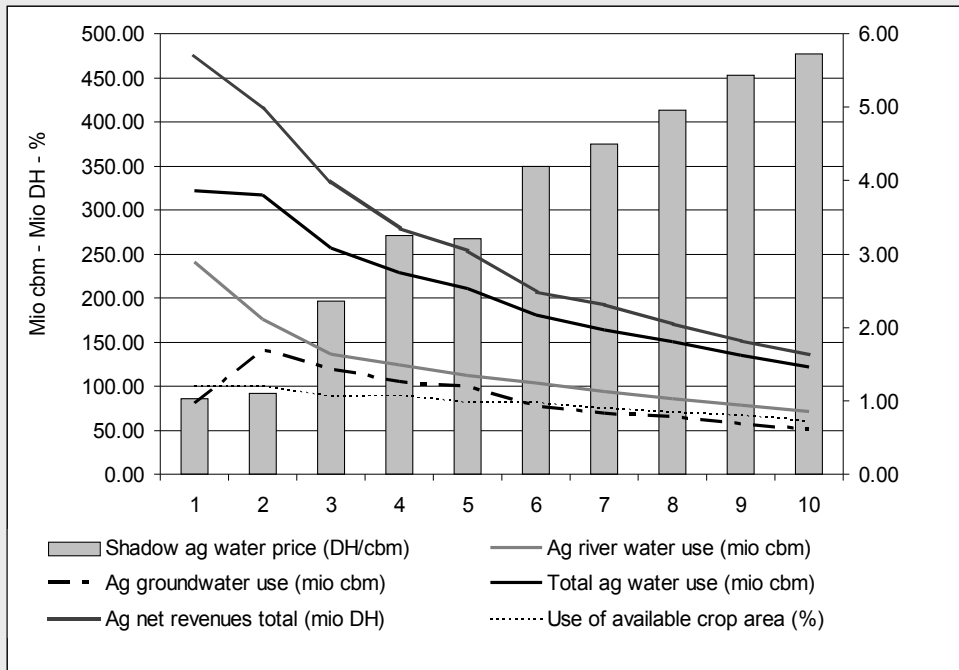
# A comparison of scenarios

	<b>Base run</b>	<b>SWC</b>	<b>GWC</b>	<b>TWC</b>
<b>Agric. river water use (mio cbm)</b>	<b>123.0</b>	<b>117.0</b>	<b>151.0</b>	<b>137.0</b>
<b>Agric. groundwater use (mio cbm)</b>	<b>86.0</b>	<b>92.9</b>	<b>49.4</b>	<b>66.3</b>
<b>Water shadow price (DH/cbm)</b>	<b>2.5</b>	<b>2.5</b>	<b>2.3</b>	<b>2.3</b>
<b>Agricultural net revenues (mio DH)</b>	<b>260.8</b>	<b>122.2</b>	<b>246.2</b>	<b>57.2</b>
<b>Sum of water charges (mio DH)</b>	<b>0.0</b>	<b>117.4</b>	<b>49.2</b>	<b>206.3</b>
<b>Total basin revenues (mio DH)</b>	<b>260.8</b>	<b>239.6</b>	<b>295.4</b>	<b>263.5</b>
<b>Agricult. net revenues (disc. at 10 %)</b>	<b>196.0</b>	<b>93.7</b>	<b>183.1</b>	<b>45.6</b>
<b>Total basin revenues (disc. at 10 %)</b>	<b>207.3</b>	<b>189.9</b>	<b>214.6</b>	<b>194.9</b>

# Overview on results over ten years

## Base run

## Groundwater pricing



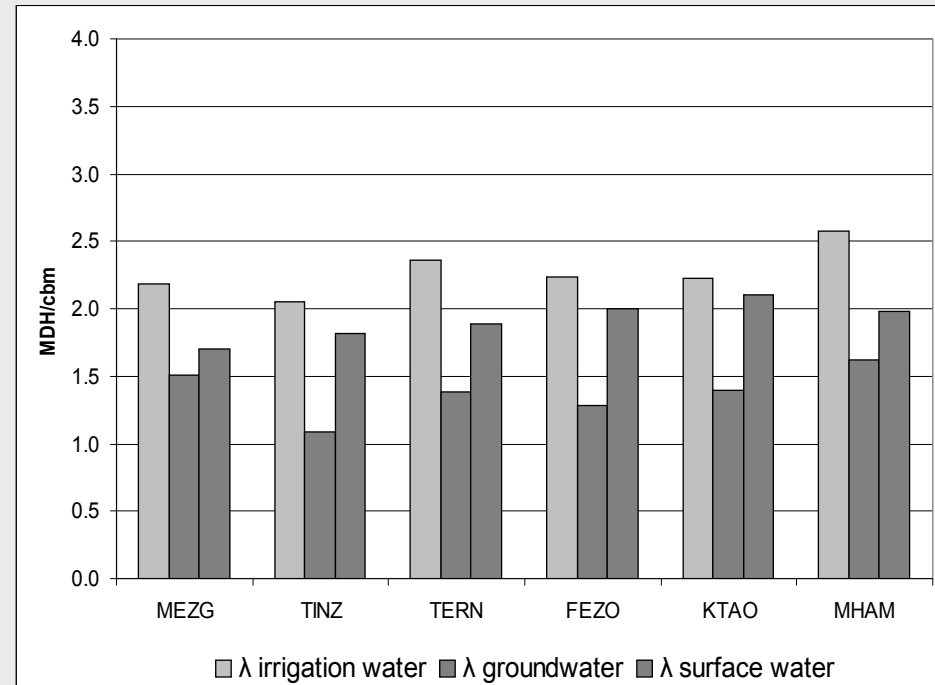
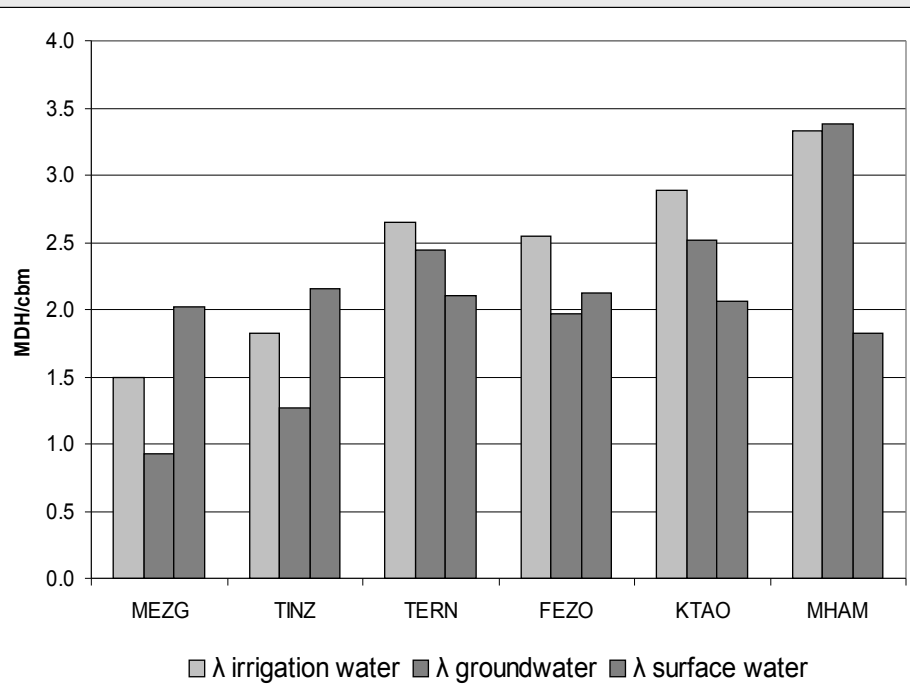
More even distribution of water scarcity across years

Under pricing, bulk of groundwater use during the last two years

# Water shadow prices in oases, ten-year averages

Base run

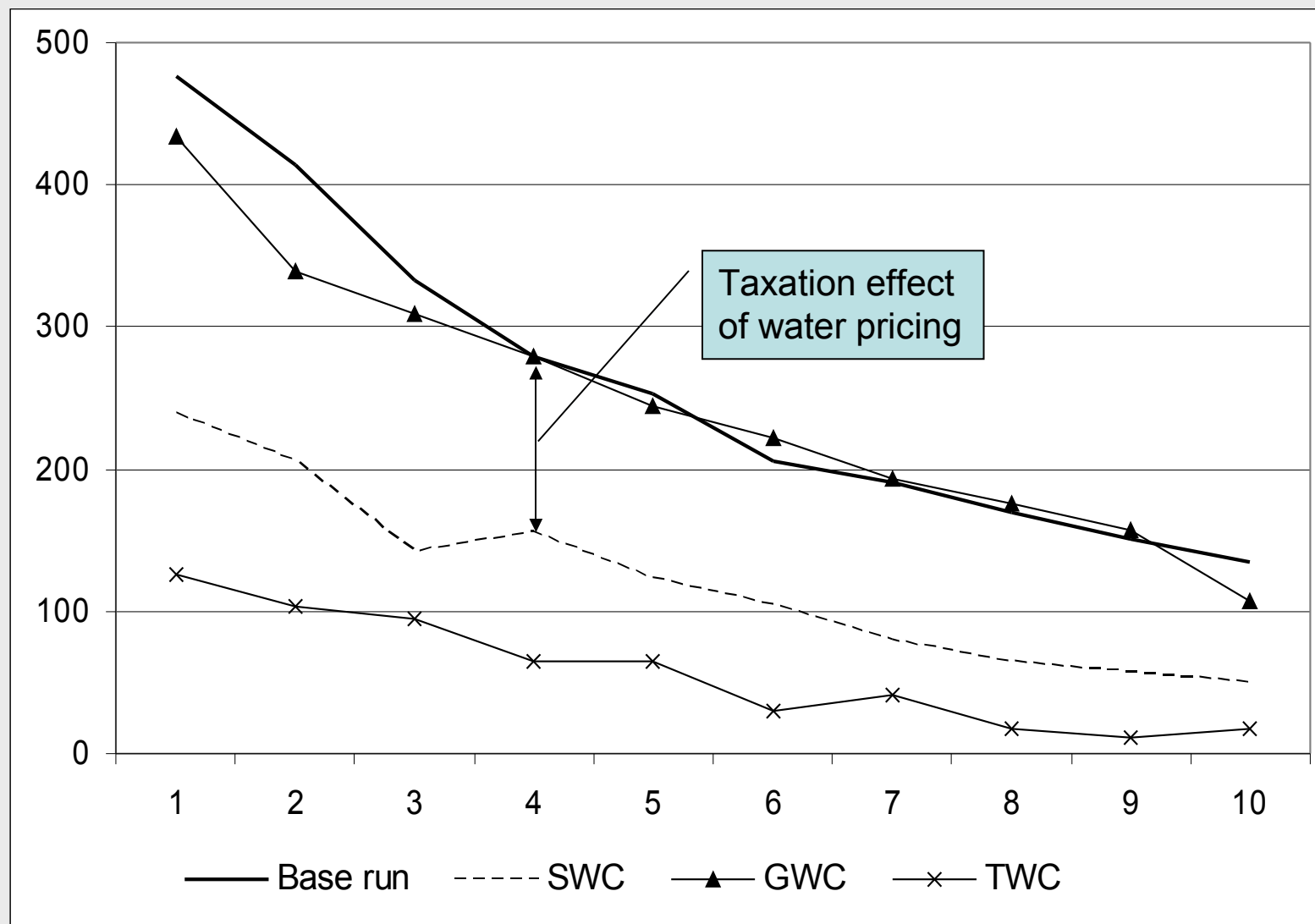
Groundwater pricing



More even distribution of water scarcity across locations

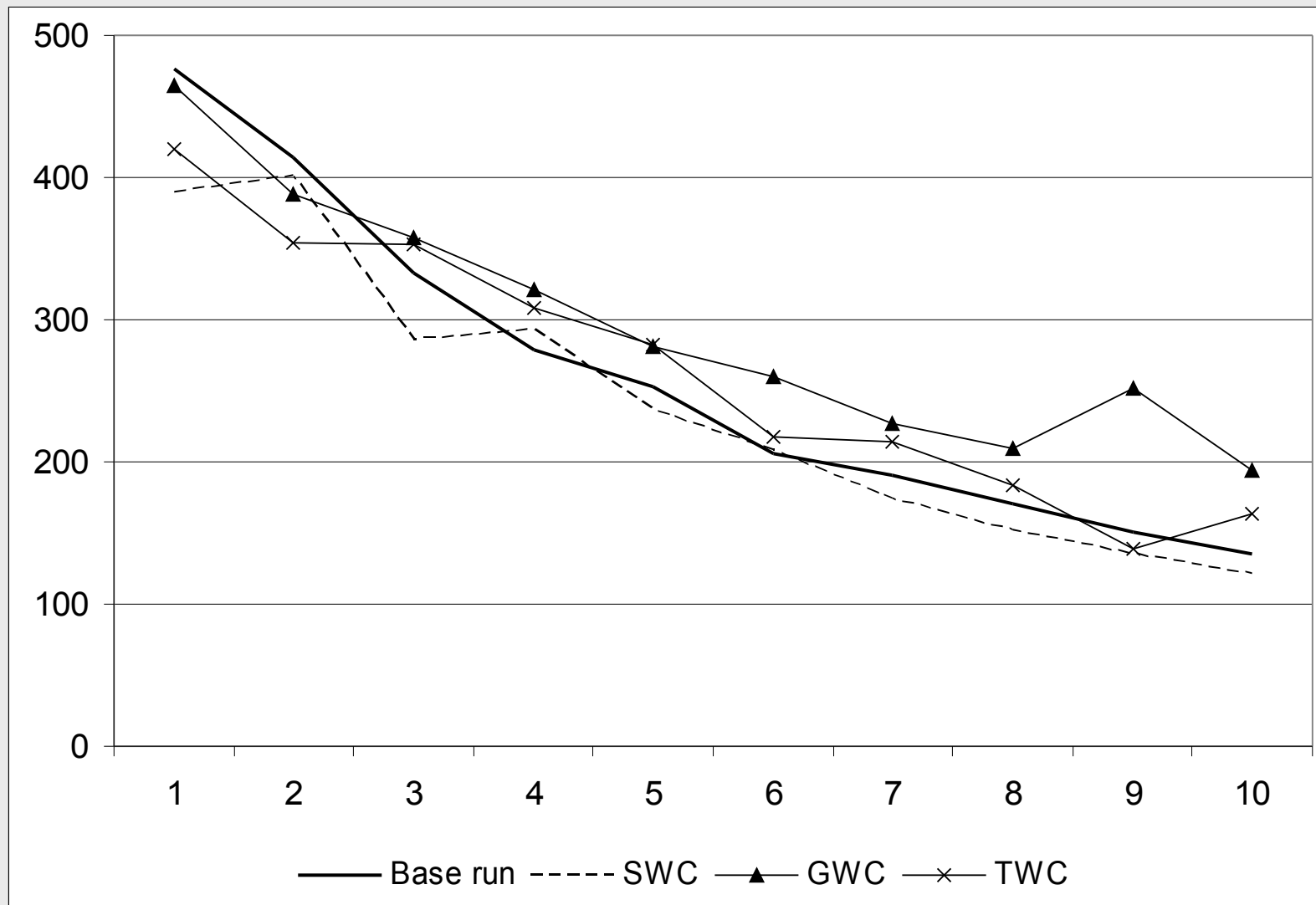


# Net agricultural revenues over time (Mio DH)



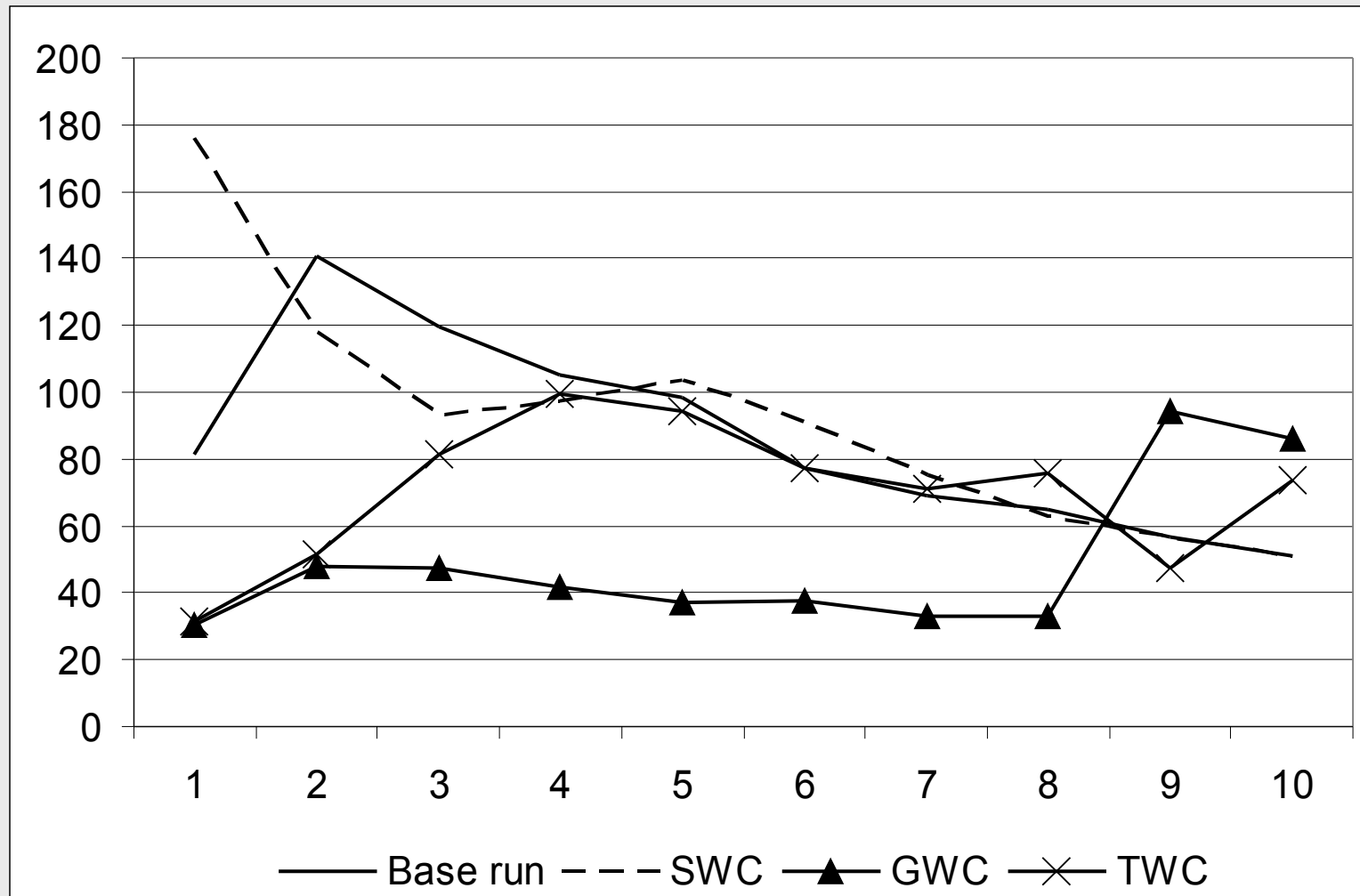


# Net basin revenues (incl. water charges)





# Groundwater use in different scenarios





# Conclusions

- Groundwater pricing seems worth considering:
  - incomes are stabilised
  - groundwater resources are preserved
  - the buffer value (in-situ) of groundwater stocks is used
  - the taxation of farmers is comparably mild
  - it may even increase basin-wide revenues
- Groundwater quantity and quality may improve => positive external effects
- Results demonstrate attractiveness of aquifers as buffers
- Pricing of surface water aggravates groundwater mining



# Caveats

- Long drought period assumed too long
- Quality differences between surface and groundwater
- Concrete implementation and its costs?
- No preservation goals regarding the river

# Questions of implementation

- Political feasibility
  - Interference with local customs
  - Structural change cannot be avoided completely
  - Economic benefits may not be worth the political price
  - Ministries divided over water pricing in the Drâa basin
  - Should charges for water use be compensated?
- Costs of implementation and compensation
  - Monitoring individual use vs status of the local aquifer?
  - Rule out private pumping to ease monitoring?
  - Should charges finance investments?
- Transaction costs
  - New administrative structures needed?
  - Communal or individual liability for overuse of water?



# Outlook

- Compare recursive-dynamic to fully dynamic model
- Stochastic simulations
- Identify buffer value of reservoirs and aquifers
- Endogenous water pricing
- Comparison of pricing and water markets
- Better representation of external effects
- Consideration of implementation costs

# Acknowledgements

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## Additional information

Documentation:

<http://www.ilr1.uni-bonn.de/agpo/rsrch/impetus/doc/mivad-docu.pdf>

Website IMPETUS Morocco at ILR:

[http://www.ilr1.uni-bonn.de/agpo/rsrch/impetus/impetus\\_e.htm](http://www.ilr1.uni-bonn.de/agpo/rsrch/impetus/impetus_e.htm)